## The Magic behind Remote-control Service of Firefox OS TV

J-PAKE over TLS

Chun-Min Chang, 2016/5/30



## Remote-control

#### What we are trying to do?

Turn Firefox Android into a TV remote-controller

Demo

https://ody.sh/PGI0Idy4yM

#### When you see this topic, you must think...

- what is J-PAKE?
- is it a kind of PAKE?
- and what is PAKE?
- what's the difference between J-PAKE and the others?
- hmm....TLS is stranger again for me...

#### So, here is the outline

- TLS
- PAKE
  - Security Requirements
  - General Two-stage Framework
  - Diffie-Hellman Key Exchange
  - o DH-EKE
  - SPEKE
- J-PAKE
  - o Intro
  - Protocol
  - Zero-Knowledge Proof
- J-PAKE over TLS
- Discussion



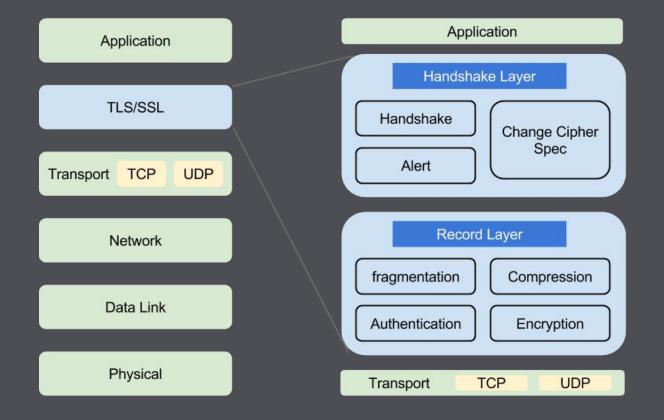
## TLS

#### Intro of TLS

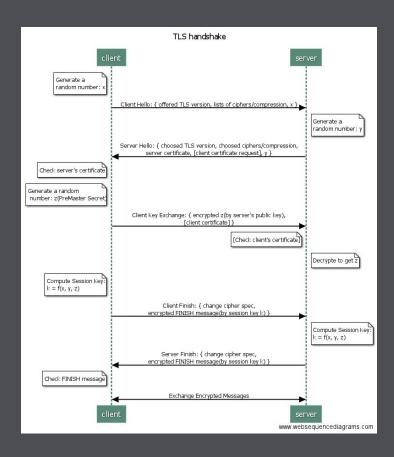
- Its predecessor is SSL, invented by NetScape

  TIGO (US) https://www.mozilla.o
- https = http over TLS
- Make sure the channel is
  - Confidential
  - Authenticated
- Needs a trusted third party
  - Public key infrastructure(PKI)
- Symmetric encryption

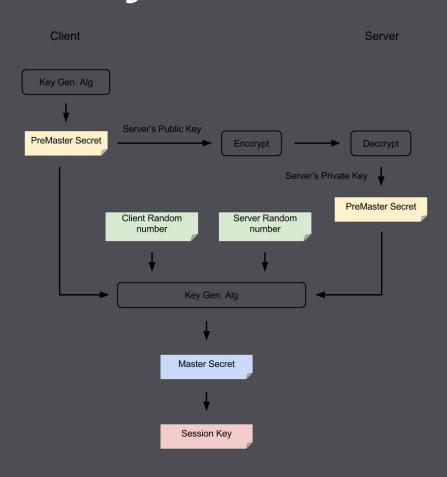
#### **TLS layer in OSI model**



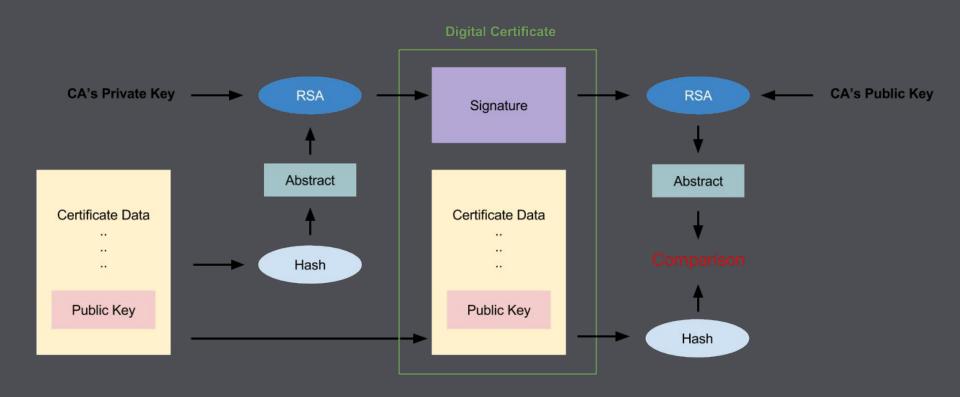
#### TLS handshake



### TLS session key



#### TLS certificate authentication



#### why don't we just use TLS?

- There is no PKI in local network.
- TLS can still establish a confidential channel without authentication
- So, we need to use other alternative to authenticate
  - PAKE can be used as an authentication method
- PAKE over TLS
  - Secure Modular Password Authentication for the Web Using Channel Bindings



## PAKE

#### Intro of PAKE

- Multiple parties can establish a shared cryptographic keys based on their same knowledge of a password by messages exchange via an insecure channel
- The unauthorized party who doesn't possess the password has no way to get the password
- It can use weak human-memorable passwords to generate a high-entropy session key

#### Intro of PAKE

- Applications
  - Mutual authentication
  - Alternative for computationally expensive authentication
- Common PAKE
  - EKE: Encrypted Key Exchange
  - SPEKE: Simple Password Exponential Key Exchange
  - J-PAKE: Password Authenticated Key Exchange by Juggling

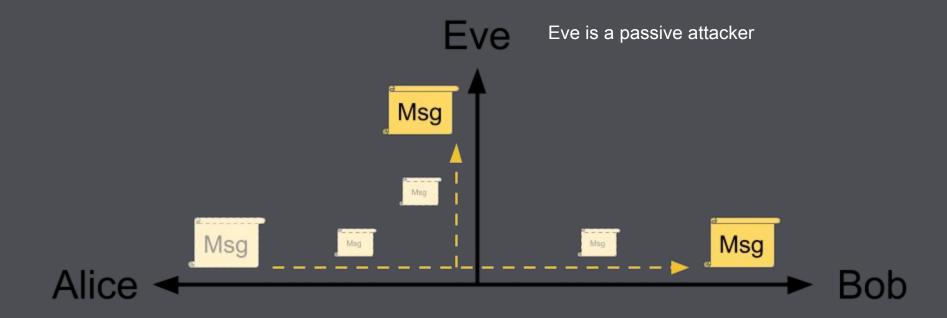
### Security Requirements

- Off-line dictionary attack resistance
   It doesn't leak any info that allows attackers to perform offline-exhaustive search to find the password
- On-line dictionary attack resistance
   An active attacker can only test one password per protocol
- Forward secrecy
   The session keys still keep secure even the password is later leaked out
- Known-session security
   If one session is compromised, other established session won't be affected

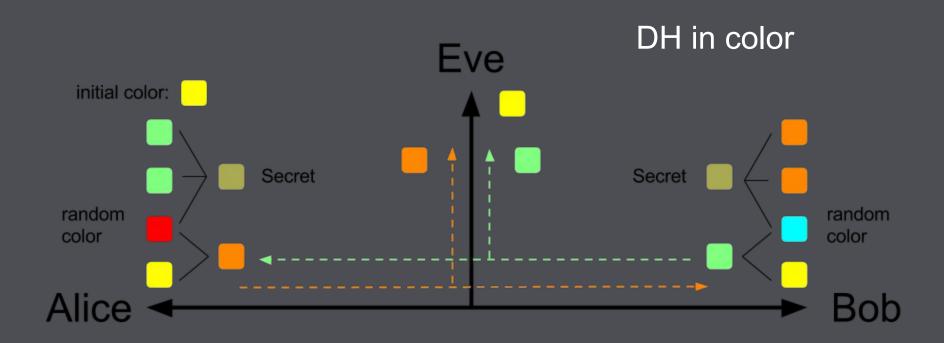
#### General Two-stage Framework

- Key establishment
  - Negotiate a session key for their communication
  - Common method is Diffie—Hellman key exchange
- Key Confirmation
  - Authenticate each other

### Diffie-Hellman Key Exchange

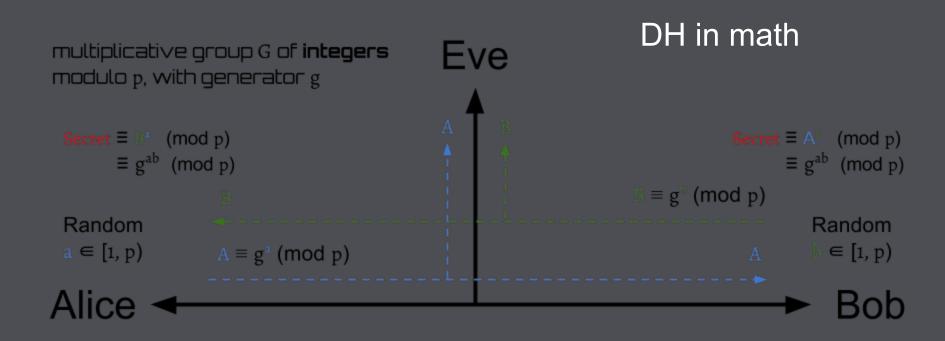


### Diffie-Hellman Key Exchange



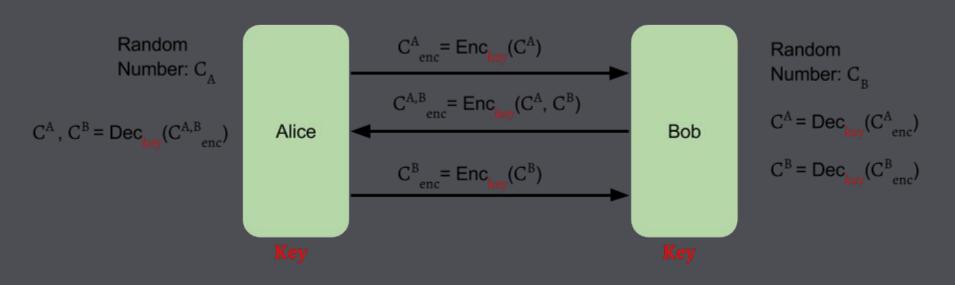
Try yourself: <a href="http://goo.gl/l52ecS">http://goo.gl/l52ecS</a>

#### Diffie-Hellman Key Exchange



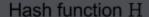
#### **Key Confirmation**

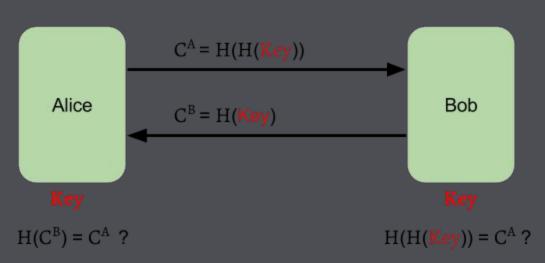
#### Challenge–Response Authentication



### **Key Confirmation**

#### Hash–Key Authentication





#### **Encrypted Key Exchange**

- Key establishment by DH
- But use password to encrypt/decrypt the public key instead of directly sending it

#### **Encrypted Key Exchange**

- multiplicative group G of integers modulo p, with generator g
- Shared password: pwd, Shared secret: s = Hash(pwd)
- $\bullet$   $\;$  Encryption with key k:  ${\rm Enc}_{\bf k}({\bf 0},{\bf Decryption}$  with key k:  ${\rm Dec}_{\bf k}({\bf 0})$

simplified version

```
Eve
                      key \equiv \mathbb{S}^a \pmod{p}
                                                                              key \equiv A^b \pmod{p}
                          \equiv g^{ab} \pmod{p}
                                                                                  \equiv g^{ab} \pmod{p}
                                                                                                            A = Dec_{enc}(A_{enc})
  = Dec_(B___)
A \equiv g^a \pmod{p}
                                                                                                              \equiv g^{\circ} \pmod{p}
                                                                                           = Enc (B)
Random
                                                                                                                   Random
a \in [1, p)
                           = Enc_{a}(A)
                                                                                                                     \in [1, p)
```

#### **Encrypted Key Exchange**

- Drawbacks
  - It needs a very large exponent
  - It needs to choose modulo p carefully
    - If p = 263 = (00000001 00000111)<sub>2</sub>, then group element must be in [1, 262]. We can guess the first seven bits in the first byte is all 0

# Simple Password Exponential Key Exchange

- Key establishment by DH
- But the group generator is derived by password instead
- The prime p must be a safe prime, p = 2q + 1, where q is also a prime.

simplified version

# Simple Password Exponential Key Exchange

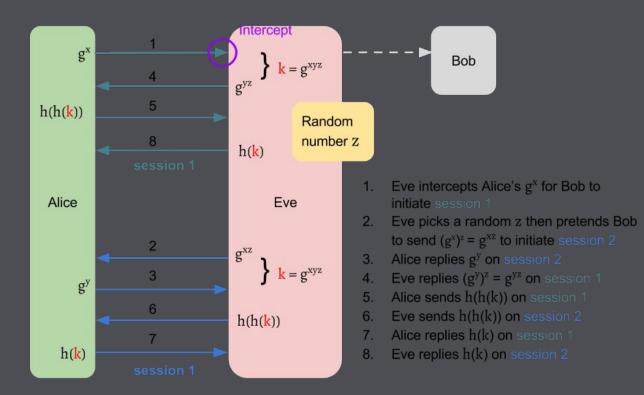
- Safe prime p, Shared password: pwd
- $g \equiv pwd^2 \pmod{p}$

# Simple Password Exponential Key Exchange

- Drawbacks
  - An attacker may test multiple password per protocol
    - $\blacksquare$  g  $\equiv$  (pwd)^2 (mod p)
    - $(q+k+1)^2 \equiv (q-k)^2 \pmod{p} = 2q+1$
    - suppose q = 11, then
      - k = 0:  $11^2 \equiv 12^2 \equiv 6$
      - g is not 6, then pwd must not be 11 or 12
      - $k = 1: 10^2 = 13^2 = 8$
      - if g is not 8, then pwd must not be 10 or 13

# Simple Password Exponential Key Exchange

### Impersonation Attack





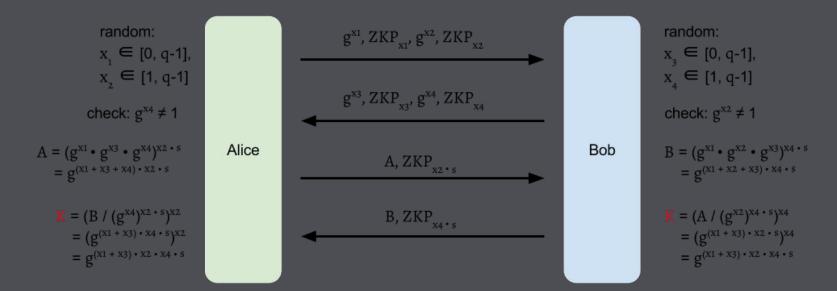
# J-PAKE

#### Intro of J-PAKE

- Why we need J-PAKE?
  - EKE needs large exponents and may leak partial information about password
  - SPEKE allows an attacker tests multiple password in one protocol execution
  - EKE and SPEKE are patented
- Applications
  - Thread (IoT network protocol)
  - OpenSSH and OpenSSL
  - Firefox Sync
  - Palemoon sync(forked from Firefox)
- Zero-Knowledge Proof
  - Provides a valid knowledge proof of a discrete logarithm without revealing it

#### J-PAKE

- Group G with generator g of prime order q
- Shared secret: s
- ZKP<sub>n</sub>: To prove knowledge of N = g<sup>n</sup>, sends { ID, V = g<sup>v</sup>, r = v n h }
   , where ID is user identifier, v ⊆ [1, q 1], and h = Hash(g, V, N, ID)



#### ZKP by Schnorr signature

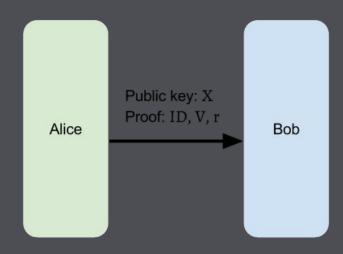
- Group G of prime order q with generator g (Thus  $g^q \equiv 1$ )
- Secure hash function H

#### **Key Pair Generating**

- 1. Pick **private key**: random number x
- 2. Get public key:  $X = g^x$

#### **Proof** of exponent x

- Pick random number v
- 2. Compute  $V = g^v$
- 3. h = H(g, V, X, ID)
- 4.  $r = v x \cdot h$



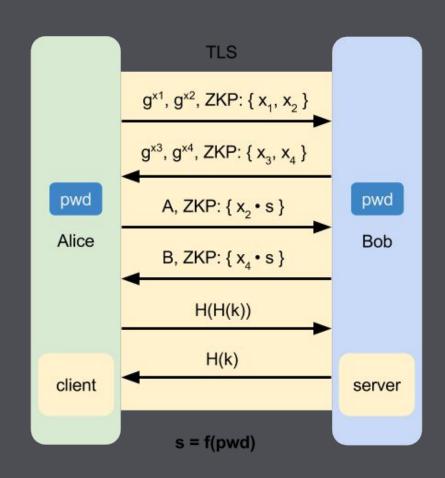
#### Verifying Proof

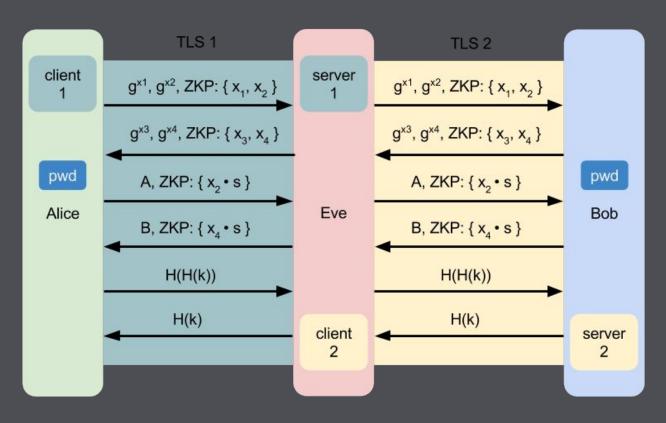
- 1. h' = H(g, V, X, ID)
- 2.  $V' = g^{r} \cdot X^{h'}$  $= g^{v-xh} \cdot (g^{x})^{h'}$  $= g^{v+x(h'-h)}$
- 3. Check V' = V

(If h' = h, then V' = V)

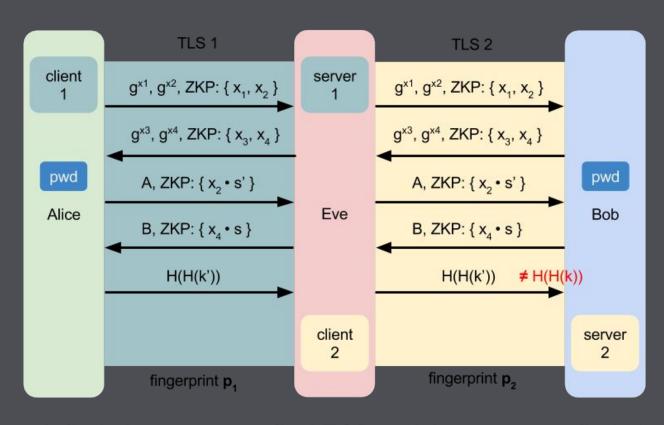
- ID is a unique user identifier
- $r, h, h' \subseteq Z_q$ , the set of congruence classes modulo q
- $x, v \in \mathbb{Z}_q^{\times}$ , the multiplicative group of integers modulo q
- $X, V, V' \in G$







s = f(pwd)



 $s' = f(pwd, p_1)$ 

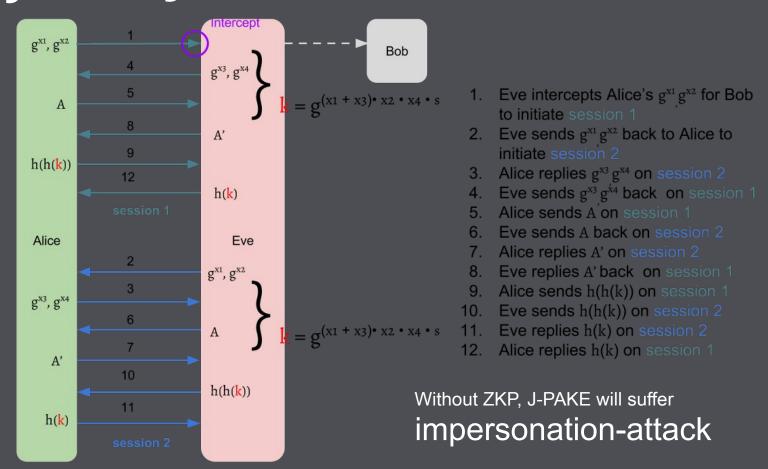
s = f(pwd, TLS fingerprint)

 $s = f(pwd, p_2)$ 



## Discussion

#### Why does J-PAKE need ZKP?



# Why do we need TLS instead of using J-PAKE key directly?

 Save the effort to establish TCP channel and negotiate the encryption module

# Why don't we just use password to authenticate each other?

- Password is human-memorable weak secret
- PAKE can keep safe of the established session

#### When do we use J-PAKE

- If the device is unable to operate large exponents
- If the network latency isn't too long

### Why $x_2$ , $x_4$ can not be 0?

- If  $x_2$ ,  $x_4$ , s = 0, then K = 1
- An attacker can intentionally choose x<sub>2</sub> = 0 or x<sub>4</sub> = 0 to get K = 1 even he doesn't know the password



# See more <u>here</u>